



KARPAGAM ACADEMY OF HIGHER EDUCATION

(Deemed to be University Established Under Section 3 of UGC Act 1956)

Coimbatore – 641 021

LECTURE PLAN DEPARTMENT OF MATHEMATICS

STAFF NAME: P. VICTOR

SUBJECT NAME: MATHEMATICS-I

SEMESTER: I

SUB.CODE:19PHU103

CLASS: I B.Sc. Physics

S.No	Lecture Duration Period	Topics to be Covered	Support Material/Page No
UNIT-I			
1	1	Different types of Matrices	S1:Ch.1:Pg.No:1-21
2	1	Continuation of Different types of Matrices	S1:Ch.1:Pg.No:1-21
3	1	Inverse of a Matrix	S1:Ch.1:Pg.No:37-40
4	1	Continuation of Inverse of a Matrix	S1:Ch.1:Pg.No:37-40
5	1	Cayley-Hamilton Theorem	S1:Ch.1:Pg.No:40-42
6	1	Continuation of Cayley-Hamilton Theorem	S1:Ch.1:Pg.No:40-42
7	1	Solution of Simultaneous Equations	S1:Ch.1:Pg.No:48-55
8	1	Continuation of Simultaneous Equations	S1:Ch.1:Pg.No:48-55
9	1	Recapitulation and Discussion of possible questions	
Total No of Hours Planned For Unit 1=09			
UNIT-II			
1	1	Concepts of Vector and Scalar fields	S3:Ch: . Pg.No:352-353
2	1	Derivative of a vector and the del operator	S3:Ch: . Pg.No:353-357
3	1	Directional Derivative	S3:Ch: .Pg.No:357-358
4	1	Gradient, Divergence of a vector	S3:Ch: .Pg.No:369-377
5	1	Continuation Gradient, Divergence of a vector	S3:Ch: .Pg.No:369-376
6	1	Formula for involving del operator and Laplacian operator	S3:Ch: .Pg.No:376-377

7	1	Curl of a vector	S3:Ch: .Pg.No:377-380
8	1	Continuation of Curl of a vector	S3:Ch: .Pg.No:377-380
9	1	Recapitulation and Discussion of possible questions	
		Total No of Hours Planned For Unit II=09	
UNIT-III			
1	1	Cauchy-Riemann Equations	S4:Ch.1:Pg.No:17-20
2	1	Continuation of Cauchy-Riemann Equation	S4:Ch.1:Pg.No:20-26
3	1	Polar form of Cauchy-Riemann Equation	S4:Ch.1:Pg.No:20-26
4	1	Analytic Function	S4:Ch.1:Pg.No:27-34
5	1	Continuation of Analytic function	S4:Ch.1:Pg.No:27-34
6	1	Properties of Analytic function	S4:Ch.1:Pg.No:27-34
7	1	Milne-Thomson method	S4:Ch.1:Pg.No:34-42
8	1	Continuation of Milne-Thomson method	S4:Ch.1:Pg.No:34-42
9	1	Recapitulation and Discussion of possible questions	
		Total No of Hours Planned For Unit III=09	
UNIT-IV			
1	1	Differentiation	S2:Ch:2; Pg.No:24-36
2	1	Continuation of Differentiation	S2:Ch:2; Pg.No:37-39
3	1	Curvature in Cartesian Coordinates	S2:Ch:10; Pg.No:291-292
4	1	Radius of curvature in Cartesian and polar forms	S2:Ch:10; Pg.No:292-302
5	1	Continuation of Radius of curvature in Cartesian and polar forms	S2:Ch:10; Pg.No:292-302
6	1	Evolutes	S2:Ch:10; Pg.No:303-308
7	1	Continuation of Evolutes	S2:Ch.10; Pg.No:303-308
8	1	Involute	S2:Ch.10; Pg.No.309-310
9	1	Recapitulation and Discussion of possible questions	
		Total No of Hours Planned For Unit IV=09	

UNIT-V			
1	1	Methods of Integration	S2:Ch:1. Pg.No:6-7
2	1	Definite and Indefinite integrals	S2:Ch:1. Pg.No:7-14
3	1	Continuation of Definite and Indefinite integrals	S2:Ch:1. Pg.No:7-14
4	1	Integration by Substitution	S2:Ch:1. Pg.No:14-26
5	1	Continuation of Integration by Substitution	S2:Ch:1. Pg.No:14-26
6	1	Continuation of Integration by Substitution	S2:Ch:1. Pg.No:14-26
7	1	Integration by Parts	S2:Ch:1. Pg.No:74-78
8	1	Continuation of Integration by Parts	S2:Ch:1. Pg.No:74-78
9	1	Recapitulation and Discussion of possible questions	
10	1	Discuss on Previous ESE Question Papers	
11	1	Discuss on Previous ESE Question Papers	
12	1	Discuss on Previous ESE Question Papers	
	Total No of Hours Planned for Unit V=12		
Total Planned Hours			48

SUGGESTED READINGS

1. Aggarwal. S.M, year, "Business Mathematics & Statistics
2. Manickavasagam Pillai. T.K and Narayanan. S, 2002, "Calculus", Vol.1 and Vol.2, S.V. Printers & Publishers, Chennai
3. Sastry S. S, 2009, "Engineering Mathematics", PHI learning Pvt. Ltd, New Delhi.
4. Arumugam.S , Thangapandi Isaac A and Somasundaram A, 2000, "Engineering Mathematics", Vol.2, SCITECH Publication Pvt.Ltd, Chennai.

QUESTION	OPT 1	OPT 2	OPT 3	OPT 4	ANSWER
A square matrix such that $A = A^T$ is called----- -----	symmetric	Skew symmetric	Hermitian	Scalar	Symmetric
$I \cdot A =$ -----.	A	0	Identity matrix	Zero matrix	A
A square matrix A is an orthogonal matrix, if	$AA^T = I$	$AA^T = -I$	$A = A^T$	$A = A^{-1}$	$AA^T = I$
In matrix method, the simultaneous equation is of the form $AX = C$, then $X =$	AC	C	$A^{-1}C$	A^{-1}	$A^{-1}C$
The number of elements in an $m \times n$ matrix is ----- -----	mn	nm	m^2	m	mn
A square matrix is said to be singular if its determinant is -----	0	1	2	3	0
If the order of the matrix A is 4×5 and the order of the matrix B is 2×4 then the resultant matrix BA has the order -----	2×4	4×4	4×5	2×5	2×5
$\begin{bmatrix} 3 & 8 & 9 & -2 \end{bmatrix}$ is a row matrix of order-----	1×4	4×1	1×1	4×4	1×4
In a square matrix A, $a_{ij} = 0$ for $i < j$, then it is called a ----- matrix.	lower triangular	diagonal	lower triangular	triangular	lower triangular
The condition for existing of A^{-1} is -----	A is non singular	A is singular	A^T is singular	A square matrix	A is non singular
If every element of a row is zero the value of the determinant is	0	1	2	3	0
If A is a skew symmetric matrix, then $A^T =$	A	-A	$ A $	A^{-1}	-A
If $ AB \neq 0$, then $((AB)^{-1})$ is.....	$A^{-1} B^{-1}$	$B^{-1} A^{-1}$	0	none	$B^{-1} A^{-1}$
Matrix having same number of columns and rows is called.....	triangular	rectangular	square	null	square
Determinant of an identity matrix is.....	0	1	2	3	1

If order of A is $m \times n$ and order of B is $n \times m$ then order of AB is --	$m \times n$	$m \times m$	$n \times n$	1×1	$m \times m$
In matrix method, the simultaneous equation is of the form $AX = C$, then $X =$	AC	C	$A^{-1}C$	A^{-1}	$A^{-1}C$
A square matrix A is said to be ----- matrix if $A = A^T$	. singular matrix	Skew symmetric	Symmetric	transpose matrix	Symmetric
The number of elements in an $m \times n$ matrix is -----	mn	nm	m^2	m	mn
If A is given the A^{-1} is.....	$\text{adj}/ A $	$ A /\text{adj } A$	$\text{adj } A$	none	$\text{adj } A / A $

QUESTION	OPT 1	OPT 2	OPT 3	OPT 4	ANSWER
$\nabla^2 (r^m)$ is equal to-----	mr^{m-1}	$m^2 r^{m-2}$	$m(m+1) r^{m-2}$	$(m+1) m r^{m-1}$	mr^{m-1}
If $r = 2xi - yj + 2zk$, then $\nabla r =$	0	4	3	2	3
Which of the following is a scalar function ?	$\nabla \cdot A$	$\nabla((\Phi))$	$\nabla (\nabla \cdot A)$	$\nabla \times A$	$\nabla \cdot A$
$\nabla \cdot (\nabla \times (\Phi)) =$	0	1	-1	3	-1
$\nabla (r^n)$ is.....	$nr^{(n-1)}r(\text{vector})$	$nr^{(n-2)}r(\text{vector})$	$(n-1)r^{(n-2)}r(\text{vector})$	$r^{(n-1)}r(\text{vector})$	$nr^{(n-2)}r(\text{vector})$
The divergence of the position vector r is	1	2	r	3	1
The divergence theorem enables to convert a surface integral on a closed surface into a -----	line integral	surface integral	volume integral	zero	volume integral
The $A(\text{vector}) = x^2z^2i(\text{vector}) + xyz^2j(\text{vector}) - xz^3k(\text{vector})$ is.....	Irrotational (vector)	Solenoidal (vector)	Zero (vector)	Position (vector)	Solenoidal (vector)
If $A(\text{vector})$ is irrotational , then.....	$\nabla \cdot (A(\text{vector}))=0$	$\text{curl} (A(\text{vector}))=0$	$ A(\text{vector}) = 0$	$\text{div} (\text{curl}(A(\text{vector})))=0$	$\text{curl} (A(\text{vector}))=0$
The divergence of the vector $xi(\text{vector})+yj(\text{vector})+zk(\text{vector})$ is.....	0	1	2	3	3
Curl of the gradient of a vector is	unity	null (vector)	Zero (vector)	undefined	Zero (vector)
A vector $F(\text{vector})$ is said to be irrotational if.....	$\nabla(\Phi)=0$	$\text{curl} (F(\text{vector}))=0$	$\text{div} (F(\text{vector}))=0$	none of these	$\text{curl} (F(\text{vector}))=0$
Unit normal vector for a surface $(\Phi)(x,y,z)=$	$\nabla(\Phi)$	$ \nabla(\Phi) $	$\nabla(\Phi)/ \nabla(\Phi) $	$1/ \nabla(\Phi) $	$\nabla(\Phi)/ \nabla(\Phi) $
The operator ∇^2 is a	scalar	(vector)	derivative	none of these	Scalar
Normal derivate for a surface $(\Phi)(x,y,z)=$	$\nabla (\Phi)$	$ \nabla (\Phi) $	$\nabla (\Phi)/ \nabla (\Phi) $	$1/ \nabla(\Phi) $	$ \nabla(\Phi) $
Divergence of a vector is	Scalar	(vector)	Curl	zero	Scalar
The curl of a vector is zero, then the vector is called	Solenoidal	Gradient	irrotational	divergence	irrotational
The Laplace operator is	$\nabla(\Phi)$	∇^2	∇	∇^3	∇^2

QUESTIONS	OPT 1	OPT 2	OPT 3	OPT 4	ANSWER
CR equations are.....	$u_x = v_y$ and $u_y = -v_x$	$u_x = -v_y$ and $u_y = -v_x$	$u_x = 0$ and $u_y = -v_x$	$u_x = v_y$ and $u_y = 0$	$u_x = v_y$ and $u_y = -v_x$
An analytic function with constant modulus is.....	Constant	not constant	analytic	None of these	Constant
A Milne – Thomson method is used to construct.....	analytic function	Continuous function	differentiable function	integral function	analytic function
A Continous function is differential.....	TRUE	FALSE	True & False	True or False	TRUE
A function $\phi(x, y)$ satisfying Laplace equation is called	Analytic	Holomorphic	Harmonic	Non-harmonic	Harmonic
A function $f(z) = e^z$ is.....	Analytic everywhere	Analytic nowhere	only differentiable	None	Analytic everywhere
If $f(z) = u + iv$ in polar form is analytic then $\frac{du}{dz} / \frac{dv}{dz}$ is	$\frac{du}{dz} / \frac{dv}{dz}$	$r \frac{du}{dz} / \frac{dv}{dz}$	$\frac{1}{r} \frac{du}{dz} / \frac{dv}{dz}$	0	$\frac{1}{r} \frac{du}{dz} / \frac{dv}{dz}$
A function $f(z)$ is analytic if	real part of $f(z)$ is analytic	imaginary part of $f(z)$ is analytic	both real and imaginary part of $f(z)$ is analytic	0	both real and imaginary part of $f(z)$ is analytic
If $f(z) = u + iv$ in polar form is analytic then $\frac{du}{dz} / \frac{dv}{dz}$ is	$-r \frac{du}{dz} / \frac{dv}{dz}$	$r \frac{du}{dz} / \frac{dv}{dz}$	$\frac{1}{r} \frac{du}{dz} / \frac{dv}{dz}$	$\frac{du}{dz} / \frac{dv}{dz}$	$-r \frac{du}{dz} / \frac{dv}{dz}$
A function u is said to be harmonic if and only if	$u_{xx} + u_{yy} = 0$	$u_{xx} - u_{yy} = 0$	$u_{xy} - u_{yx} = 0$	$u_{xx} - u_{xy} = 1$	$u_{xx} + u_{yy} = 0$
If $f(z) = x + ay + i(bx + cy)$ is analytic then the constants a and b and c equals to	$a = 1$ and $c = -b$	$c = 1$ and $a = -b$	0 and 1 and 2	1 and 1 and 1	$c = 1$ and $a = -b$
A point at which a function ceases to be analytic is called a	non-singular point	regular point	singular point	non regular point	singular point
If $f(z) = u + iv$ in polar form is analytic then $\frac{du}{dz} / \frac{dv}{dz}$ is	$\frac{du}{dz} / \frac{dv}{dz}$	$r \frac{du}{dz} / \frac{dv}{dz}$	$\frac{1}{r} \frac{du}{dz} / \frac{dv}{dz}$	0	$\frac{1}{r} \frac{du}{dz} / \frac{dv}{dz}$
Harmonic conjugate of $u(x, y)$ is	0	$u(x, y)$	$v(x, y)$	$u + iv$	$v(x, y)$
The complex function $f(z) =$	$x + iy$	$u + iv$	$x - iy$	$u - iv$	$u + iv$
Analytic function also called function	entire	regular	constant	trigonometric	regular
$\bar{f}(z) = \bar{z}$ isfunction	analytic	constant	not analytic	differentiable	not analytic
The value of $i =$	1	-1	$\sqrt{-1}$	0	$\sqrt{-1}$
A function u is harmonic if	$\Delta(u) = 0$	$\Delta^2(u) = 0$	$u = \text{constant}$	$u = 0$	$\Delta^2(u) = 0$
Analytic function also called function	entire	constant	holomorphic	trigonometric	holomorphic
If u and v are harmonic functions the $f(z) = u + iv$ is.....	analytic function	Continuous function	differentiable function	integral function	analytic function
A function v is called conjugate harmonic function for a harmonic function u in a domain when ever.....	u is analytic	v is analytic	$f = u + iv$ is analytic	$f = u - iv$ is analytic	$f = u + iv$ is analytic
If $e^{ax} \cos y$ is harmonic then a is	0	-1	2	i	i
Harmonic conjugate of $v(x, y)$ is.....	$v(x, y)$	$u(x, y)$	$u + iv$	0	$u(x, y)$
If the imaginary part of an analytic $f(z)$ is $2xy + y$, then the imaginary part is.....	$x^2 - y^2 - y$	$x^2 - y^2 + x$	$x^2 - y^2 - x$	$x^2 - y^2 + y$	$x^2 - y^2 + x$
If the real part of an analytic function $f(z)$ is $x^2 - y^2 - y$, then the imaginary part is.....	$2xy - y$	$2xy - x$	$2xy + x$	$2xy + y$	$2xy + x$

Question	Opt 1	Opt 2	Opt 3	Opt 4	Answer
The curvature of a straight line is -----	0	1	π	infinity	0
What is the value of slope of tangent to the curve $y=f(x)$ -----	$\tan(\pi)$	π	$\sin(\pi)$	$\cos(\pi)$	$\tan(\pi)$
The parametric equation of circle is-----	$x=r\cos(\theta)$ $y=\sin(\theta)$	$x=\cos(\theta)$ $y=\sin(\theta)$	$x=r\cos(\theta)$ $y=r\sin(\theta)$	$x=\cos(\theta)$ $y=r\sin(\theta)$	$x=r\cos(\theta)$ $y=r\sin(\theta)$
The curvature of a circle of radius r at any point is-----	r	r^2	$1/r^2$	$1/r$	$1/r$
Let $f(x,y)$ be the implicit form of the given curve then dy/dx is-----	f_x/f_y	$-f_x/f_y$	0	f_y/f_x	$-f_x/f_y$
What is the radius of curvature of the curve $x^2+y^2=49$ at (0 0)-----	49	7	0	1	7
The radius of curvature value is ρ then the curvature value is-----	ρ	ρ^2	$1/\rho$	0	$1/\rho$
What is the value of dy/dx to the function $x^3+y^3=3axy$ -----	$(x^2-ax)/(y^2-ax)$	$(x^2-ay)/(y^2-ax)$	$-(x^2-ay)/(y^2-ax)$	$-(x^2-ax)/(y^2-ax)$	$(x^2-ay)/(y^2-ax)$
What is the value of e^x+e^{-x} -----	$\cosh x$	$\sinh x$	$2\cosh x$	$2\sinh x$	$2\cosh x$
of the following functions could be $f(x)$ -----	$ax+b$	$\sin x$	$\cos x$	ax^2+b	$ax+b$
The radius of curvature at any point of the curve $r=e^\theta$ is -----	$2r$	$\sqrt{2+r}$	$2\sqrt{2}-r$	$r(\sqrt{2})$	$r(\sqrt{2})$
What is the value of $\cos(n\pi)$ -----	0	1	-1	$(-1)^n$	$(-1)^n$
The reciprocal of the curvature of a curve at any point is called -----	circle	radius of curvature	circle of curvature	centre of curvature	radius of curvature
The centre of curvature of the curve $y=x^2$ at the origin is-----	(0 0)	(0 1/2)	(1/2 1)	(0 -1/2)	(0 1/2)
Let $u=x^y$ then $dow(u)/dow(y)$ is -----	x^y	$e^{(y\log x)} \log x$	$e^{y\log x}$	$\log x$	$e^{(y\log x)} \log x$
If $f(x,y)=x^3+xyz+z$, Find f_x at (1 1 1) is-----	0	1	-1	3	3
The radius of curvature of the curve $x^2+y^2=16$ at (1 1) is -----	16	1	2	4	4

Question	Opt 1	Opt 2	Opt 3	Opt 4	Answer
The curvature value of the circle in all points are -----	0	equal	notequal	infinity	equal
The value of slope of tangent to the curve $y=f(x)$ -----	dy/dx	x	dx/dy	dx	dy/dx
The parametric equation of probola $y^2=4ax$ is -----	$x=at$ $y=a$	$x=at$ $y=at^3$	$x=at^2$ $y=at$	$x=at$ $y=at^2$	$x=at$ $y=at^2$
What is the name of the curves $x=a(\theta+\sin(\theta))$ $y=a(1-\cos(\theta))$ is-----	cardioid	astroid	cycloid	ellipse	cycloid
What is the name of the curves $r=a(1-\cos(\theta))$ is-----	cardioid	astroid	cycloid	ellipse	cardioid
If the equation $x=r\cos(\theta)$ $y=r\sin(\theta)$ is called-----	cartesian form	polar form	perametric form	implicit form	perametric form
If the equation $x^3+3xy^2+5x^2+7y^2-6x=0$ is called-----	quatertic form	polar form	perametric form	implicit form	implicit form
If the equation form only x and y variables is called-----	cartesian form	polar form	perametric form	sperical polar	cartesian form
If the equation form only r and θ variables is called-----	cartesian form	polar form	perametric form	sperical polar	polar form
What is the value of $\sin n\pi$ where n belongs to the integers then-----	0	1	-1	infinity	0
What is the name of the curves $r=a(1+\cos(\theta))$ is-----	cardioid	astroid	cycloid	ellipse	cardioid
The curvature value is $1/\rho$ then the curvature value is-----	ρ	ρ^2	$1/\rho$	0	ρ
In the polar form, which is analogous to the origin-----	r	θ	pole	argument	
The radius of curvature of the curve in polar form is-----	$(\rho^2+r_1^2)^{(3/2)} / (\rho^2+2r_1^2-r_2)$	$(r_1^2+r_1^2)^{(3/2)} / (r^2+2r_1^2-r_2)$	$(r_2^2+r_2^2)^{(3/2)} / (r^2+2r_1^2-r_2)$	$(r^2-r_1^2)^{(3/2)} / (r^2+2r_1^2-r_2)$	$(r^2+r_1^2)^{(3/2)} / (r^2+2r_1^2-r_2)$
The center of curvature is for all the points in curve.	equal	origin	not equal	(1,1)	not equal
What is the value of $e^x - e^{-x}$ -----	$\cosh x$	$\sinh x$	$2\cosh x$	$2\sinh x$	$2\sinh x$

Question	Opt 1	Opt 2	Opt 3	Opt 4	Answer
The radius of curvature of the curve in cartesian form is -----	$\frac{((1+(dy/dx)^2)^{3/2})}{(d^2x/dx^2)}$	$\frac{((1+(dy/dx)^2))}{(d^2x/dx^2)}$	$\frac{((dy/dx)^2)^{3/2}}{(d^2x/dx^2)}$	$\frac{((1+(dy/dx)^2)^{3/2})}{(dx/dx)}$	$\frac{((1+(dy/dx)^2)^{3/2})}{(d^2x/dx^2)}$
The value of $d/dx(c)$, where c is constant then-----	1	0	-1	infinity	1
The value of $d/dx(x)$ is-----	0	1	-1	infinity	1
The value of $d/dx(\log x)$ is-----	x	$1/x$	x^2	0	$1/x$
The value of $d/dx(e^x)$ is-----	1	e^x	e^{-x}	$-e^x$	e^x
The value of $d/dx(a^x)$ is-----	$a^x \log a$	a^x	$\log a$	0	$a^x \log a$
The value of $d/dx(\sin x)$ is-----	$\cos x$	$\sin x$	$\tan x$	$-\cos x$	$\cos x$
The value of $d/dx(\cos x)$ is-----	$\cos x$	$-\sin x$	$\sin x$	$-\cos x$	$-\sin x$
The value of $d/dx(\tan x)$ is-----	$\operatorname{cosec} x$	$\tan x$	$(\sec x)^2$	$(\operatorname{cosec} x)^2$	$(\sec x)^2$
The value of $d/dx(\sec x)$ is-----	$\sec x \tan x$	$\tan x$	$\sec x$	$\cos x$	$\sec x \tan x$
The value of $d/dx(\operatorname{cosec} x)$ is-----	$\operatorname{cosec} x$	$-\operatorname{cosec} x \cot x$	$\cot x$	$\sin x$	$-\operatorname{cosec} x \cot x$
The value of $d/dx(\cot x)$ is-----	$\sec^2 x$	$\tan x$	$\cos x$	$-\cos^2 x$	$-\cos^2 x$
The value of $d/dx(\sinh x)$ is-----	$\cosh x$	$\sinh x$	$\tanh x$	$-\cosh x$	$\cosh x$
The value of $d/dx(\cosh x)$ is-----	$\cosh x$	$\sinh x$	$\tanh x$	$-\cosh x$	$\sinh x$
The value of $d/dx(\tanh x)$ is-----	$\sec^2 hx$	$\tanh x$	$\cosh x$	$\cos^2 hx$	$\sec^2 hx$
The value of $d/dx(\coth x)$ is-----	$\sec^2 hx$	$\tanh x$	$\cosh x$	$-\cos^2 hx$	$-\cos^2 hx$
The value of $d/dx(\operatorname{sech} x)$ is-----	$\tanh x$	$-\operatorname{sech} x \tanh x$	$\operatorname{sech} x$	$\cosh x$	$-\operatorname{sech} x \tanh x$

Question	Opt 1	Opt 2	Opt 3	Opt 4	Answer
The value of integral $dx/(x^2+a^2)$ is----- ---	$\tan^{-1}x$	$1/a \tan^{-1}x$	$1/a \tan^{-1}(x/a)$	$\tan x$	$\tan^{-1}x$
The integral $(\sin(\theta))d(\theta)$ value is----- ---	$\sin(\theta)$	$\cos(\theta)$	$\tan(\theta)$	$\sec(\theta)$	$\cos(\theta)$
The integral $(\cos(\theta))d(\theta)$ value is----- --	$\sin(\theta)$	$-\cos(\theta)$	$\tan(\theta)$	$\sec(\theta)$	$\sin(\theta)$
The integral $(\tan(\theta))d(\theta)$ value is----- ---	0	$-\log \cos(\theta)$	$\log \sin(\theta)$	$\sec(\theta)$	$-\log \cos(\theta)$
Integral a to b value of $f(x) =$ -----	$F(a)-F(b)$	$F(b)-F(a)$	$F(a)$	$F(b)$	$F(b)-F(a)$
The value of the integral 0 to $\pi/6$ for the function $(\cos^2(x/2))$ is-----	π	$\pi/12+1/4$	0	$\pi/2$	$\pi/12+1/4$
The integral $(\cot(\theta))d(\theta)$ value is----- ---	0	$\log \sin(\theta)$	$\sin(\theta)$	$\sec(\theta)$	$\log \sin(\theta)$
The integral $(\operatorname{cosec}(\theta))d(\theta)$ value is----- -----	$\log \tan(x/2)$	$\tan(x/2)$	$\log \sin(x/2)$	$\sin(x/2)$	$\log \tan(x/2)$
The integral dx/x value is-----	x	x^2	$\log x$	$1/x^2$	$\log x$
Which is following rational algebraic function----	$\int 1/x dx$	$\int x dx$	$\int x^2 dx$	$\int (x+1) dx$	$\int 1/x dx$
The integral $dx/(x^2+a^2)$ value is-----	$1/a \tan^{-1}(x/a)$	$1/a \tan^{-1}x$	$\tan^{-1}x$	$\tan x$	$1/a \tan^{-1}(x/a)$
The integral $dx/(x^2-a^2)$ value is-----	$1/a \log(x-a)$	$1/a \log((x-a)/(x+a))$	$\log((x-a)/(x+a))$	$\log((x+a))$	$1/a \log((x-a)/(x+a))$
The integral $\sin(\theta)d(\theta)$ value is----- -	$-\sin(\theta)$	$-\cos(\theta)$	$\tan(\theta)$	$\sec(\theta)$	$-\cos(\theta)$
The value integral $(f'(x))/(f(x)) dx$ is-----	$\log x$	$\log f(x)$	0	$f(x)$	$\log f(x)$
The integral $(\sec(\theta)\tan(\theta))d(\theta)$ value is-----	$\sec(\theta)$	$-\cos(\theta)$	$\log \sin(\theta)$	$\cos(\theta)$	$\sec(\theta)$
The integral $(\operatorname{cosec}(\theta)\cot(\theta))d(\theta)$ value is-----	$\sec(\theta)$	$-\operatorname{cosec}(\theta)$	$\log \sin(\theta)$	$\tan(\theta)$	$-\operatorname{cosec}(\theta)$
The integral $(\cosh x)dx$ value is-----	$\sinh x$	$\cosh x$	$\operatorname{sech} x$	$\tanh x$	$\sinh x$
The value of integral $(\sinh x)dx$ value is----- --	$\sinh x$	$\cosh x$	$-\cosh x$	$\tanh x$	$\cosh x$

Question	Opt 1	Opt 2	Opt 3	Opt 4	Answer
The integral $(x^n)dx$, if $n \neq -1$ then value is----- ----	$\sin x$	$\cos x$	$\log x$	$\tan x$	$\log x$
The value of integral $cf(x) dx$ is equal to----- ----	$\int f(x)dx$	$\int f(x)dx$	$c^2 \int f(x)dx$	$\int dx$	$\int f(x)dx$
The value of integral $(u+v)dx$ is equal to----- ----	$\int u dx - \int v dx$	$\int u dx * \int v dx$	$\int u dx + \int v dx$	$\int uv dx$	$\int u dx + \int v dx$
The value of integral $(u-v)dx$ is equal to----- ---	$\int u dx - \int v dx$	$\int u dx * \int v dx$	$\int u dx + \int v dx$	$\int uv dx$	$\int u dx - \int v dx$
The value of integral $f(ax+b)dx$ is equal to----- -----	$\int f(x)dx$	$1/a(\int f(x)dx)$	$\int af(x)dx$	$\int dx$	$1/a(\int f(x)dx)$
The value of integral $e^{(ax+b)}dx$ is equal to----- ----	$1/a(e^{(ax+b)})$	$a(e^{(ax+b)})$	$1/a(e^{(ax)})$	$1/a(e^{(b)})$	$1/a(e^{(ax+b)})$